

# Section 2.0 Review

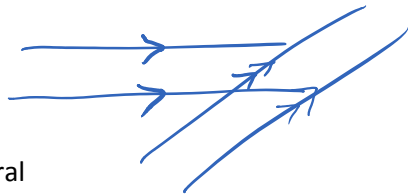
Monday, February 22, 2016 9:03 AM

## Section 2.0 Review

Define:

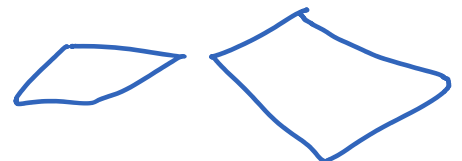
- Parallel Lines

- lines never meet

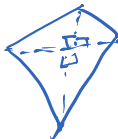


- Quadrilateral

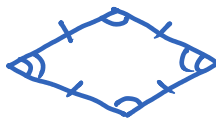
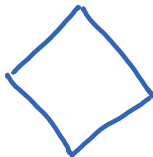
Any four-sided figure - must be closed



- Kite



- Rhombus



all sides are equal  
angles are not  $90^\circ$

- Parallelogram



a rectangle someone kicked

- Acute Triangle

all angles are less than  $90^\circ$



- Obtuse Triangle

one angle is greater than  $90^\circ$



- Equilateral Triangle

all sides are equal. All angles are  $60^\circ$ .



all sides are equal. All angles are  $60^\circ$ .



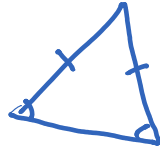
- Scalene Triangle

No sides are equal

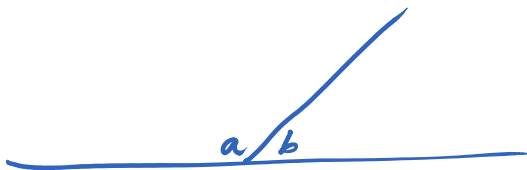


- Isosceles Triangle

Two sides are equal  
Two angles are equal

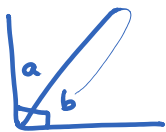


- Supplementary Angles ( $180^\circ$ )



$$a + b = 180^\circ$$

- Complementary Angles ( $90^\circ$ )



$$a + b = 90^\circ$$

Similar Triangles

two triangles that have the same angle measures.



Congruent Triangles

"equal"

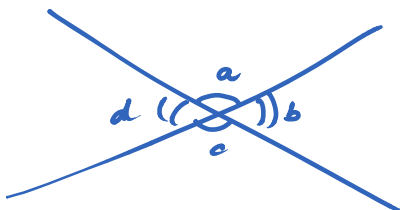
same length + angles



$$A \equiv B$$

"congruent"

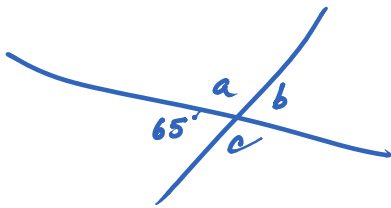
Vertically Opposite Angles



$$\angle a = \angle c$$

$$\angle b = \angle d$$

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Calculate  $\angle a$ ,  $\angle b$ ,  $\angle c$ .

$\angle b = 65^\circ$  vertically opp.

$$65 + \angle c = 180^\circ$$

$\angle c = 115^\circ$  supp. angles

$\angle a = 115^\circ$  vert. opp.

p. 38 # 1-6 all.

Geometric Properties Review

Angle Properties

Acute $< 90^\circ$	Straight $= 180^\circ$	Angles at a point <i>lines that intersect to form angles</i>
obtuse $> 90^\circ$ $< 180^\circ$	complementary $a+b=90^\circ$	Angles on a line
right $= 90^\circ$	Supplementary $a+b=180^\circ$	Vertically opposite angles ( $\sphericalangle$ ) <i>across each other</i>
Perpendicular	Bisect $a=b$	diagonal

Triangle Properties

$\triangle$  3 sides & 3 angles  
 $\triangle$  int. angles  
 $a+b+c=180^\circ$

*all angles are less than  $180^\circ$*

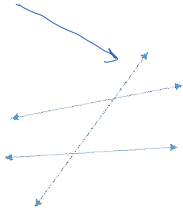
*Only one angle can be more than  $90^\circ$ .*

$a=b$

$a+b+c=180^\circ$

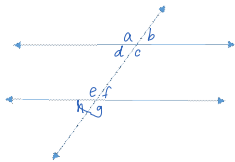
Parallel lines and Transversals

A transversal is a line that intersects two or more other lines at distinct points.

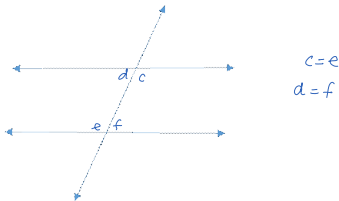


Parallel lines are lines with the same slope/direction but different places. Parallel lines will never meet or touch each other.

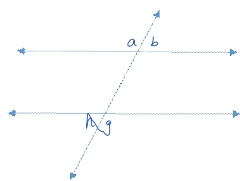
If two parallel lines are cut by a transversal, eight angles are created.



Interior Angles lie inside the parallel lines.



Exterior angles lie outside the parallel lines.

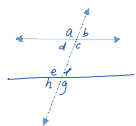


$$a = g$$

$$b = h$$

Corresponding angles are one interior angle and one exterior angle that are non-adjacent and on the same side of the transversal.

"F"

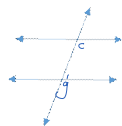
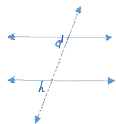
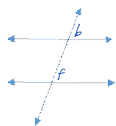


$$b = f$$

$$a = e$$

$$d = h$$

$$c = g$$



\*\*If two parallel lines are cut by a transversal, then corresponding angles are equal\*\*

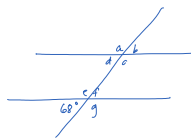
\*\*\*Likewise, if two lines are cut by a transversal and the corresponding angles are equal, then the lines are parallel.\*\*\*

Example 1: Find the indicated angle:

From <[https://rdsdtech-my.sharepoint.com/personal/0\\_111beault\\_rdsd\\_ca/Documents/25/20%20Foundations/2020/unit%205/20%20Angles/Geometry%20Properties%20Review.docx](https://rdsdtech-my.sharepoint.com/personal/0_111beault_rdsd_ca/Documents/25/20%20Foundations/2020/unit%205/20%20Angles/Geometry%20Properties%20Review.docx)>

## Ch. 2 – Properties of Angles and Triangles

### 2.1 & 2.2 – Angles and Parallel Lines



$$f = 68^\circ \quad \text{V. Opp.}$$

$$d = 68^\circ \quad \text{Corr. Angles}$$

$$b = 68^\circ \quad \text{V. Opp. / Alt. Ext. Angles}$$

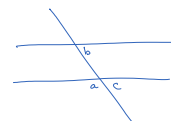
$$180^\circ - 68^\circ = 112^\circ \quad g = 112^\circ \quad \text{supp angles.}$$

$$e = 112^\circ \quad \text{V. Opp.}$$

$$a = 112^\circ \quad \text{Corr. angles}$$

$$c = 112^\circ \quad \text{V. Opp. / alt. int. angles}$$

Ex. 2



$$a = 106^\circ$$

$$b = 66^\circ$$

Are they parallel?

1) Assume they are parallel.

$$2) 180^\circ - 106^\circ = 74^\circ$$

$$3) \angle b = \angle c \quad \text{b/c corresponding angles}$$

$$66^\circ \neq 74^\circ$$

False. They are not parallel.

<b>Parallel Lines</b> 	<b>Transversal</b> 
<b>Alternate Interior Angles</b> <i>Always equal &amp; alternate</i> 	<b>Alternate Exterior Angles</b> 
<b>Corresponding Angles</b> 	<b>Interior Angles</b> 
<b>Right Triangle</b> 	<b>Complimentary and Supplementary Angles</b> 
<b>Vertically Opposite Angles</b> 	<b>Angles at a Point</b> 

2)  $180^\circ - 104^\circ = 76^\circ$   
 3)  $\angle b = \angle c$  b/c corresponding angles  
 $66^\circ \neq 74^\circ$

Falses. They are not parallel.

2.1 # 1-5  
p. 215

From: [https://csdtech-my.sharepoint.com/personal/s\\_thibault\\_csud\\_ca/Documents/3%20%20Foundations%202020/Unit%202%20-%20Angles/C%202-%202.1%20Angles%20-%202.1.docx](https://csdtech-my.sharepoint.com/personal/s_thibault_csud_ca/Documents/3%20%20Foundations%202020/Unit%202%20-%20Angles/C%202-%202.1%20Angles%20-%202.1.docx)

## 2.2- Angles formed by Parallel Lines

- The first column contains statements we believe are true.
- The second column contains the reason for the statement (how do we know it's true?)
- These statements and justifications involve known facts about:
  - corresponding angles (they are equal)  $\neq$
  - vertically opposite angles (they are equal)  $\times$
  - supplementary angles (together they form a straight angle)  $\neq$
- We get to substitute one angle for another once we know they are equal
- The transitive property can be used: if  $a = b$  and  $b = c$ , then  $a = c$

Prove the following conjectures:

- 1) "When parallel lines are intersected by a transversal, the alternate interior angles are equal."  
 Create a diagram:

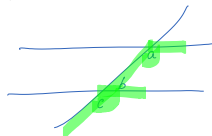


$\therefore$  means therefore

What are you trying to prove?  $\alpha = \beta$

Statement	Reason
$\alpha = \gamma$	corresponding angles
$\gamma = \beta$	vertically opposite
$\therefore \alpha = \beta$	transitive property
	□ QED.

- 2) "When parallel lines are intersected by a transversal, the same-side interior angles are supplementary."  
 Create a diagram:

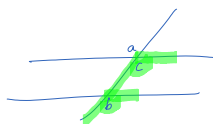


$= 180^\circ$

What are you trying to prove?  $a + b = 180^\circ$

Statement	Reason
$b + c = 180^\circ$	Supplementary
$a = c$	corresponding angles
$\therefore b + a = 180^\circ$	transitive property

- 3) "When parallel lines are intersected by a transversal, the alternate exterior angles are equal."  
 Create a diagram:



What are you trying to prove?  $a = b$

Statement	Reason
$b = c$	corresponding angles
$a = c$	vertically opposite
$\therefore a = b$	transitive property

## Results

Now that we have proved these statements are true, we can use them in other proofs!

-  $\therefore a = b$  transitive property

#### Results

Now that we have proved these statements are true, we can use them in other proofs!

- 1. Corresponding angles are equal
- 2. Alternate interior angles are equal
- 3. Alternate exterior angles are equal
- 4. Same side interior angles are supplementary
- 5. Vertically opposite angles are equal



#### Examples

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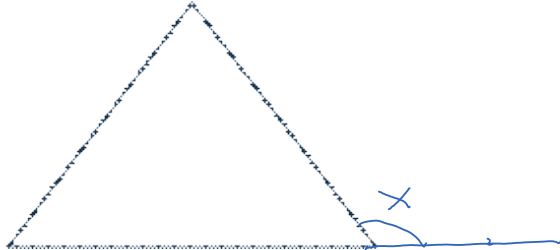
## Section 2.3

Thursday, February 25, 2016 10:13 AM

### 2.3- Angle Properties in Triangles

Key Terms:

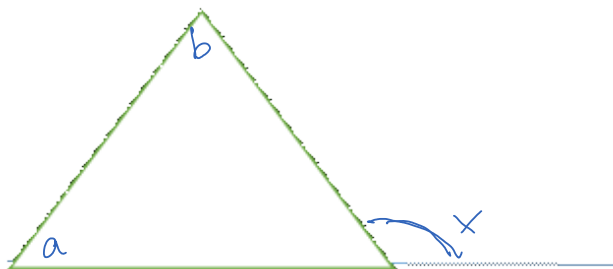
1) Exterior angle (of a triangle, or other polygon):



The angle that is formed by a side of a triangle, or other polygon, and the extension of an adjacent side

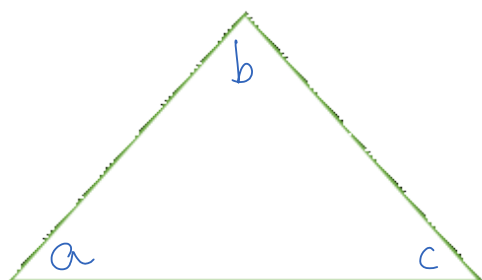
2) Non-adjacent interior angles (in a triangle):

- The two angles of a triangle that do not have the same vertex as an exterior angle



#### Triangle Property #1:

The sum of the measure of the interior angles of any triangles is  $180^\circ$ .

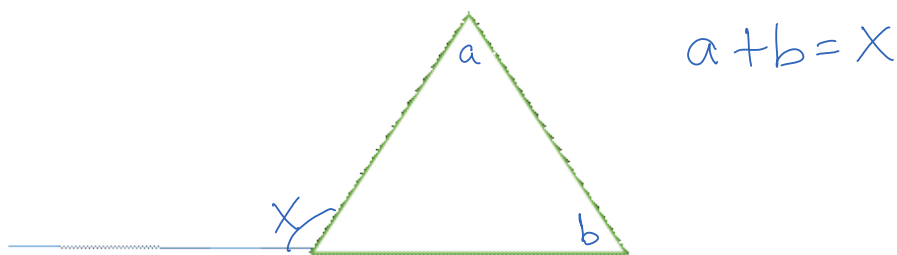


$$a + b + c = 180^\circ$$



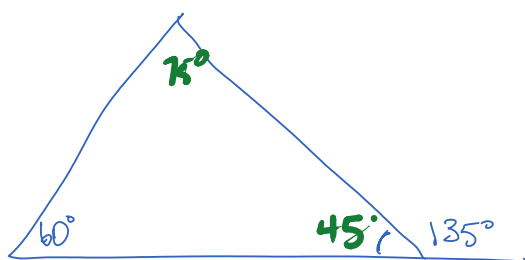
## Triangle Property #2:

The measure of any exterior angle of a triangle is proven to be equal to the sum of the measure of the two non-adjacent interior angles.



## Examples:

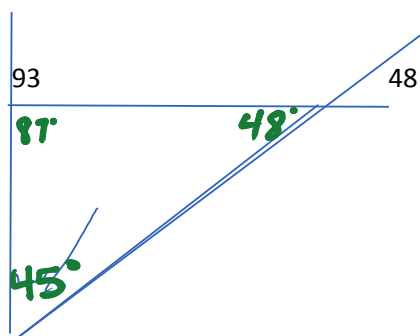
Determine the angle measures in the following triangle:



$$135 - 60 = 75^\circ$$

$$180 - 135 = 45^\circ$$

~~Prove AB // CD:~~ Find the angles.

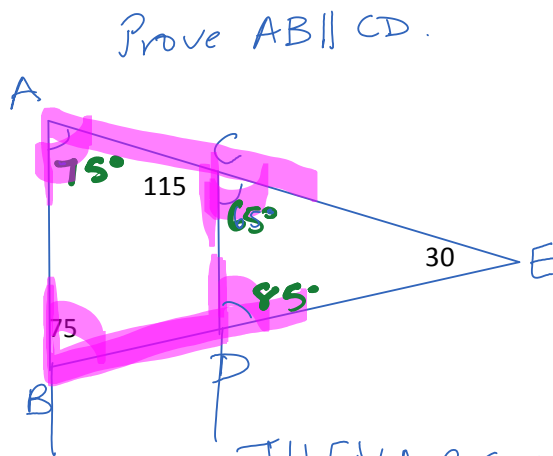


$$180 - 93 = 87^\circ$$

$$180 - 87 - 48 =$$

$$93 = 48 + \underline{\underline{x}}$$

Prove  $AB \parallel CD$ .



$$180 - 30 - 75 = 75^\circ$$

$$180 - 115 = 65^\circ$$

$$180 - 65 - 30 = 85^\circ$$

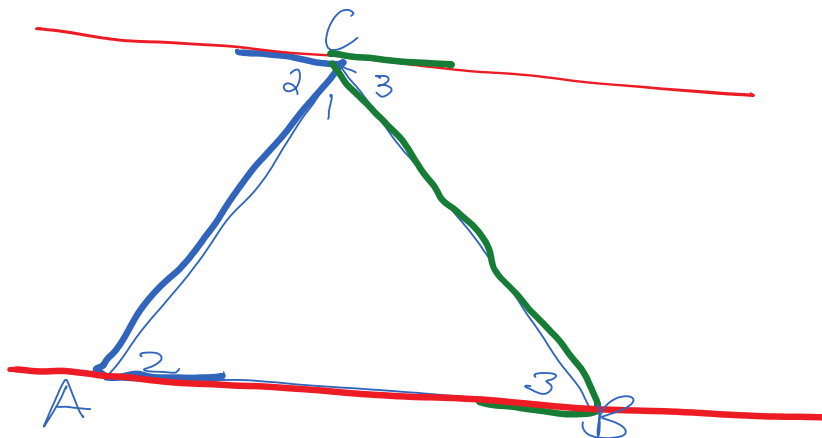
THEY ARE NOT PARALLEL.  $\square$

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- The sum of the angles in a triangle is  $180^\circ$ .

We can use our knowledge of parallel lines to prove this theorem.

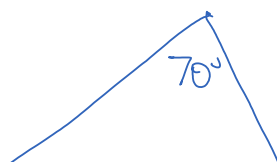
**Example 1.** Given  $\triangle ABC$ , prove  $\angle 1 + \angle 2 + \angle 3 = 180^\circ$ .



- ① Draw  $\parallel$  lines  
    @ base + top
- ② Look for alt.  
    int. angles.
- ③ Add supp.  
    angles.

$$\angle 2 + \angle 1 + \angle 3 = 180^\circ \quad \therefore \angle 1 + \angle 2 + \angle 3 = 180^\circ \text{ b/c commutative property.}$$

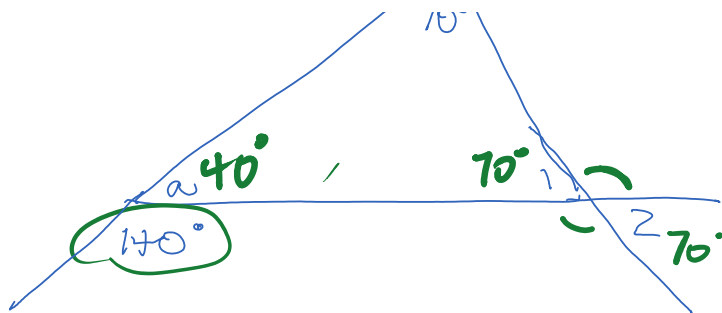
**Example 2.** Determine the measures of  $\angle 1$  and  $\angle 2$ .



$$180 - 140 = 40$$

$$40^\circ = \angle 2$$

$$180 - 70 - 40 = 70$$



$$40^\circ = a$$

$$180 - 70 - 40 = 1$$

$$70^\circ = 1$$

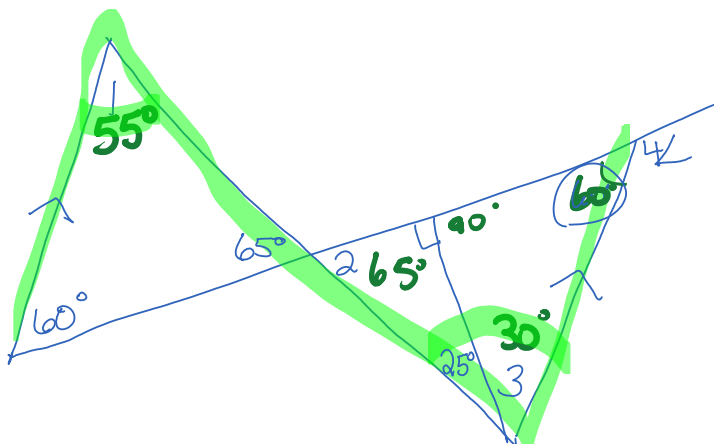
**The measure of an exterior angle of a triangle is equal to the sum of the measures of the two non-adjacent interior angles.**

**Example 3.** Prove  $\angle e = \angle a + \angle b$ .

Statement	Reason
$\angle c = 180^\circ - \angle a - \angle b$	
$\angle e + \angle c = 180^\circ$	Supp angles
$\angle a + \angle b + \angle c = 180^\circ$	angles in $\triangle$
$\therefore \angle e = 180^\circ - \angle c$	algebra
$\angle e = 180^\circ - (180^\circ - a - b)$	transitive property
$\angle e = 180^\circ - 180^\circ + a + b$	
$\therefore \angle e = \angle a + \angle b$	algebra

QED

**Example 4.** Determine  $\angle 1$ ,  $\angle 2$ ,  $\angle 3$ , and  $\angle 4$ .



$$180 - 60 - 65 = \angle 1$$

$$= 55^\circ$$

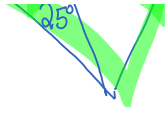
$$\angle 2 = 65^\circ \text{ v. opp}$$

$$25^\circ + \angle 3 = 55^\circ \text{ alt. int.}$$

$$\angle 3 = 30^\circ$$

$$180 - 90 - 30 = 60^\circ$$

r



$$180 - 90 - 30 = 60^\circ$$
$$180 - 60^\circ = \underline{\underline{120^\circ}}$$

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## Section 2.4

Friday, February 26, 2016 10:56 AM

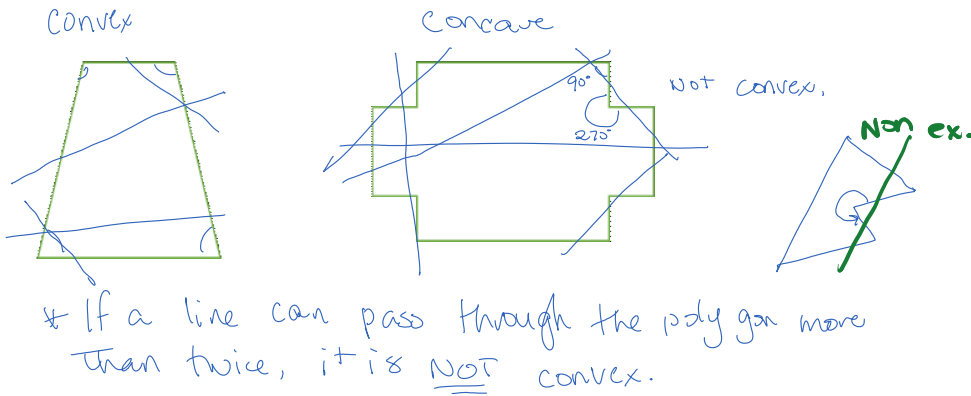
### 2.4- Angle Properties in Polygons

#### Key Terms:

1) Convex polygon: a polygon in which each interior angle measure less than  $180^\circ$ .

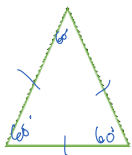
Example:

Non- example:

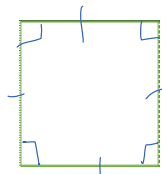


2) **Regular polygon:** a regular polygon for which all sides are equal length, and all interior angles have the same measure

Some regular polygons are so special, they have their own name:



a regular triangle is called an equilateral triangle

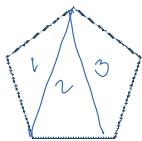


a regular quadrilateral is called a square

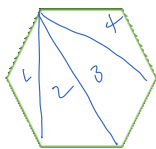
4

Other regular polygons are simply referred to by the name dictated by the number of sides, with the word "regular" in front:

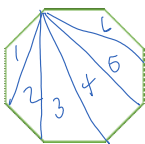




a regular pentagon (penta = 5 sided)

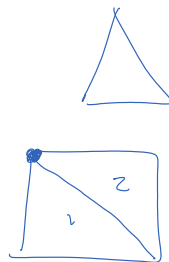


a regular hexagon (hexa = 6 sided)



a regular octagon (octa = 8 sided)

Polygon Names	Number of sides (n)	# of $\Delta$ 's	$\Sigma$ of $\angle$ 's
Triangle	3 sides	1	$180^\circ$
Quadrilateral	4 sides	2	$360^\circ$
Pentagon	5 sides	$3 \times 180^\circ =$	$540^\circ$
Hexagon	6 sides	$4 \times 180^\circ =$	$720^\circ$
Heptagon	7 sides	5	$900^\circ$
Octagon	8 sides	6	$1080^\circ$
Nonagon	9 sides	7	$1260^\circ$
Decagon	10 sides	8	$1440^\circ$
Dodecagon	12 sides	10	$1800^\circ$
n-gon	n sides	$(n-2) \times 180^\circ$	$180(n-2)$
Ex. 15-gon	15 sides	$15-2=13$	2340



**Goal:** Use the fact that we know the interior angles of a triangle add up to  $180^\circ$  to help us come up with a formula that will calculate the **interior angle sum** for ANY convex polygon with ANY number of sides (n).

$$S = 180(n-2)$$

### Polygon Formula #1:

The interior angle sum for any convex polygon:

$$IAS = (n-2) 180^\circ$$

(n = number of sides)

n = # sides  
S = sum of  $\angle$ s

$$A = \frac{180(n-2)}{n}$$

A = angle measure  
\* must be a regular polygon

### Polygon formula #2:

The exterior angle sum (EAS) for any convex polygon is always  $360^\circ$ , regardless of how many sides it has!

### Polygon formula #2:

The exterior angle sum (EAS) for any convex polygon is always  $360^\circ$ , regardless of how many sides it has!

$$\text{EAS} = 360^\circ$$

### Polygon formula #3:

(regular polygons only)

Recall: each interior angle of a regular polygon has the same measure.

Each interior angle (EIA) for regular polygons can be found by dividing the interior angle sum by the number of angles in the polygon. (The number of angles is the same as the number of sides)

$$\text{EIA} = \frac{180^\circ (n - 2)}{n}$$

(n = number of sides)

### Polygon formula #4

(regular polygons only)

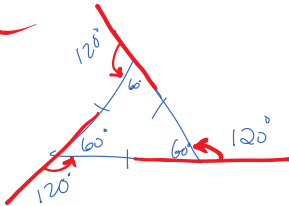
Each exterior angle (EEA) for regular polygons can be found by dividing the exterior angle sum (always  $360^\circ$ ) by the number of angles in the polygon (The number of angles is the same as the number of sides)

$$\text{EEA} = \frac{360}{n}$$

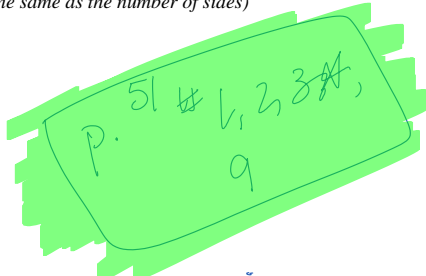
(n = number of sides)

Examples:

Show that the exterior angle sum for a triangle is  $360^\circ$ .



$$120 + 120 + 120 = 360^\circ$$



Hepta = 7 sides

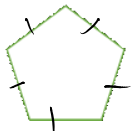
$$\begin{aligned} \rightarrow S &= 180(n - 2) \\ S &= 180(7 - 2) \\ S &= 180(5) \\ S &= 900^\circ \end{aligned}$$

From [https://rcsdtech-my.sharepoint.com/personal/s\\_thibeault\\_rcsd\\_ca/Documents/3%20%20Foundations%2020/Unit%202%20-%20Angles/notes2.4.docx](https://rcsdtech-my.sharepoint.com/personal/s_thibeault_rcsd_ca/Documents/3%20%20Foundations%2020/Unit%202%20-%20Angles/notes2.4.docx)

2.4 Con't

Let's look at how big each interior angle is in a regular polygon:

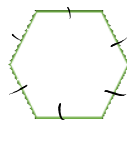
Side:



$$\begin{aligned} a &= \frac{180(5 - 2)}{5} \\ &= \frac{180(3)}{5} = 108^\circ \end{aligned}$$



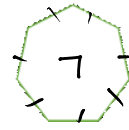
$$\begin{aligned} a &= \frac{180(4 - 2)}{4} \\ a &= 90^\circ \end{aligned}$$



$$\begin{aligned} a &= \frac{180(6 - 2)}{6} \\ a &= \frac{180(4)}{6} = 120^\circ \end{aligned}$$



$$a = \frac{180(6)}{6} = 120^\circ$$



$$a = \frac{180(7-2)}{7}$$

$$a = \frac{180(5)}{7} = 128.6^\circ$$

# of angles:  
Measure of each:

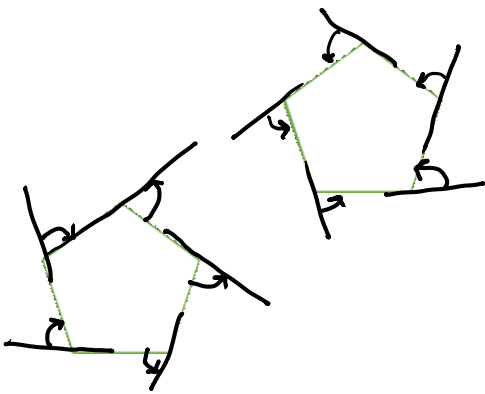
Formula for interior angle of a regular polygon:

$$a = \frac{180(n-2)}{n} \quad \left. \begin{array}{l} \text{single} \\ \text{angle} \\ \text{measure} \end{array} \right\}$$

**Exterior Angles:** always look at them from one direction, clockwise or counter-clockwise.

Clockwise

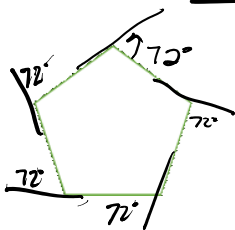
Counter-Clockwise



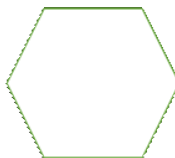
$$E = \frac{360}{n} = \frac{360}{5} = \underline{\underline{72^\circ}}$$

$$E = 180 - IA = 180 - 108 = \underline{\underline{72^\circ}}$$

Each interior angle has an exterior angle that forms a straight line making  $180^\circ$ . To find the exterior sum, we can add up all the exterior angles.



$$72 \times 5 = \underline{\underline{360}}$$



Example.



\* For shapes to tessellate, the exterior angles MUST add up to  $360^\circ$ .



A convex polygon has an exterior angle sum of: 360°

**Theorem: The sum of the exterior angles of any convex polygon is 360°.**

Show that each exterior angle of a regular polygon is

1. Draw an Octagon (8 sided), hexagon (6 sided), and a pentagon (5 sided). Then add on the exterior angles in each polygon.

Octagon	Hexagon	Pentagon
		

2. Find the sums of the interior angles for each

Octagon	Hexagon	Pentagon
$  \begin{aligned}  S &= 180(n-2) \\  &= 180(8-2) \\  &= 180(6) \\  &= 1080^\circ  \end{aligned}  $		

3. Find the measure of the interior angles for each

Octagon	Hexagon	Pentagon
$  \begin{aligned}  a &= \frac{180(n-2)}{n} \\  &= \frac{1080}{8} \\  &= 135^\circ  \end{aligned}  $		

4. Find the measure of the exterior angles for each

Octagon	Hexagon	Pentagon
$  \begin{aligned}  \textcircled{1} E &= \frac{360}{8} \\  &= 45^\circ \\  \textcircled{2} E &= 180 - 135 = 45^\circ  \end{aligned}  $		

5. Find the answer to 360° divided by the number of sides for each polygon

Octagon	Hexagon	Pentagon
45°		

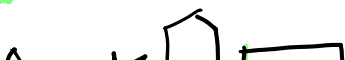
6. Compare the results in step 5 to the results in step 4

They are the same!

7. List your observations of the results from step 6



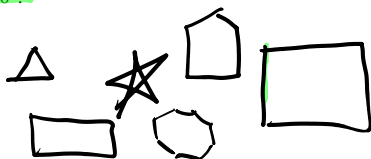
A **convex polygon** has all interior angles less than 180°.



A **concave polygon** has at least one interior angle greater than 180°.



A convex polygon has all interior angles less than  $180^\circ$ .



A concave polygon has at least one interior angle greater than  $180^\circ$ .



Example 1. Determine the measure of each interior angle of a regular 17-sided polygon.

$$a = \frac{180(n-2)}{n} = \frac{180(17-2)}{17} = \frac{180(15)}{17} = 158.8^\circ$$

Exterior and Interior Angles:

$$\textcircled{1} E = \frac{360}{17} = 21.2^\circ$$

$$\textcircled{2} E = 180 - 158.8 = 21.2^\circ$$

*\* Quiz  
Wed.  
Test Friday!*

From <[https://rcsdtech-my.sharepoint.com/personal/s\\_thibeault\\_rcsd\\_ca/Documents/3%20%20Foundations%20%20Unit%20%20-%20Angles/2.4%20handout.docx](https://rcsdtech-my.sharepoint.com/personal/s_thibeault_rcsd_ca/Documents/3%20%20Foundations%20%20Unit%20%20-%20Angles/2.4%20handout.docx)>

*p. 50 #1-8, 11*



# Quizzes

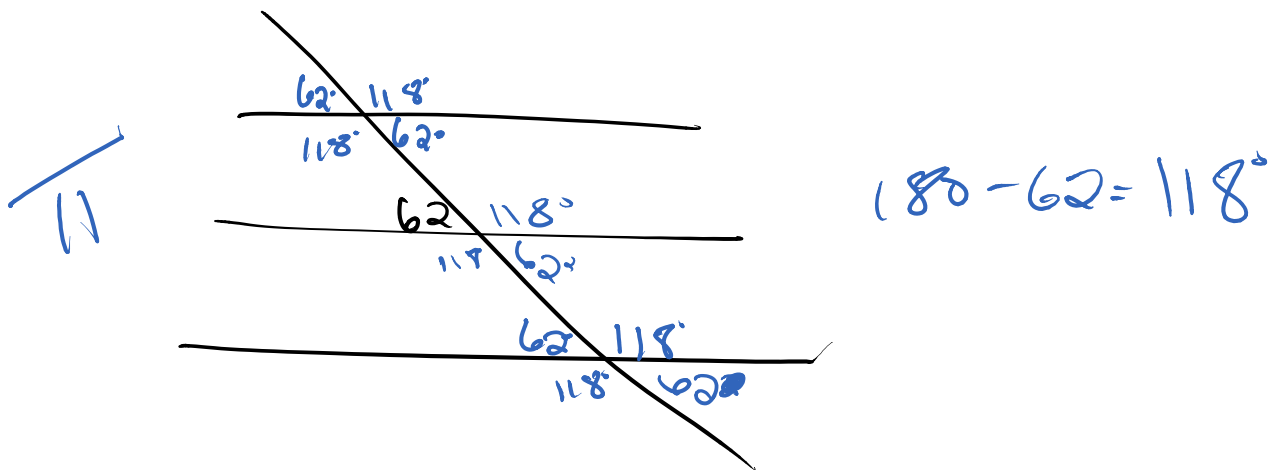
Thursday, March 3, 2016 9:38 AM

# 2.1 - 2.2 Quiz

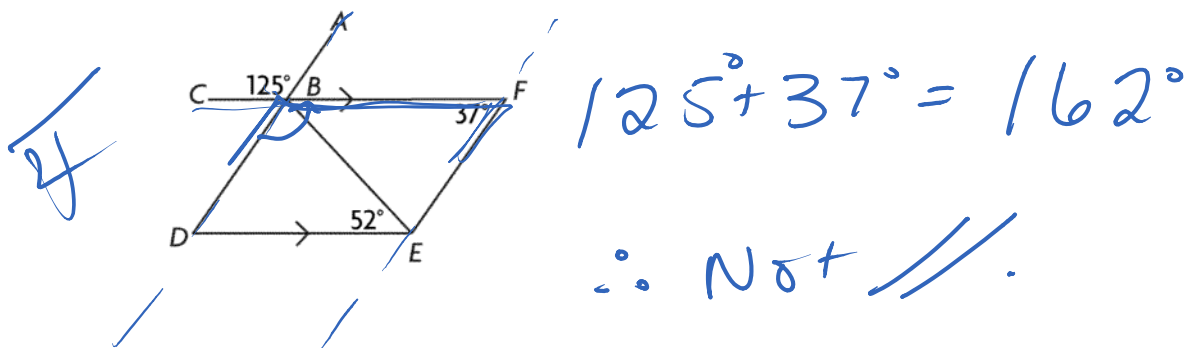
NAME: \_\_\_\_\_

Date: \_\_\_\_\_

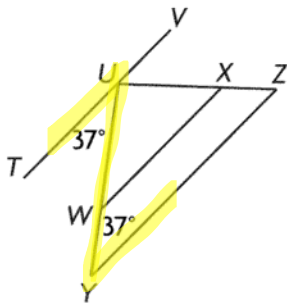
- Determine the measure of all unknown angles. Be sure to label them and show your work.



- Are  $BD$  and  $FE$  parallel? Explain how you know.



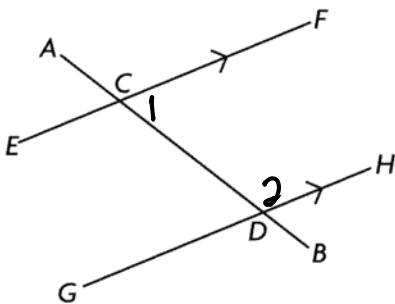
3. Prove:  $TV \parallel YZ$



Because  $\angle TVY$  is  
equal to  $\angle UYZ$   
(alt. int),  $TV \parallel YZ$ .

2

4. Prove  $\angle C = \angle D$ .



$$\angle C = \angle 2$$

$$\angle 2 = \angle D$$

$$\therefore \angle C = \angle D$$



3



From <[Quiz 2.1-2.2.docx](#)>

## Math 20 Ch 2 Quiz.docx

Thursday, March 3, 2016 9:40 AM

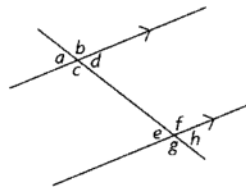


## Math 20 Ch 2 Quiz

### Multiple Choice

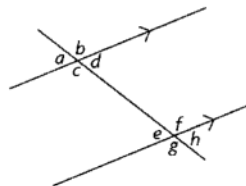
Identify the choice that best completes the statement or answers the question.

- B 1. Which pairs of angles are equal in this diagram?



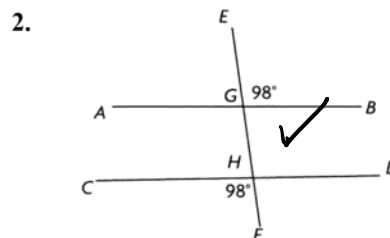
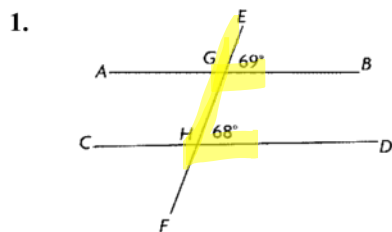
- ☐ a.  $a = b, c = d,$  and  $e = f$   
☒ b.  $a = e, c = g,$  and  $b = f$   
☐ c.  $a = c, e = g,$  and  $f = h$   
☐ d.  $a = e, b = d,$  and  $c = g$

- D 2. Which pairs of angles are equal in this diagram?



- ☐ a.  $b = e, c = h,$  and  $d = g$   
☐ b.  $b = a, c = e,$  and  $d = f$   
☐ c.  $b = c, e = g,$  and  $f = h$   
☒ d.  $b = f, c = g,$  and  $d = h$

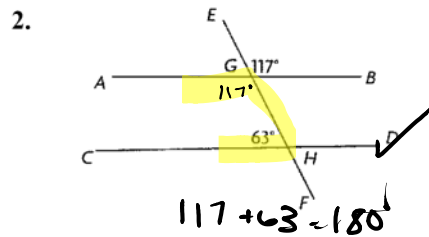
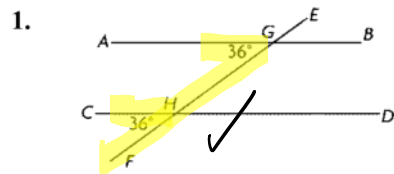
- B 3. In which diagram(s) is  $AB$  parallel to  $CD$ ?



- a. Choice 1 only  
☒ b. Choice 2 only  
c. Choice 1 and Choice 2  
d. Neither Choice 1 nor Choice 2

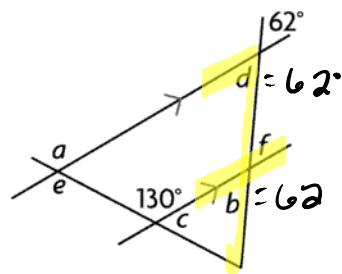


C 4. In which diagram(s) is  $AB$  parallel to  $CD$ ?



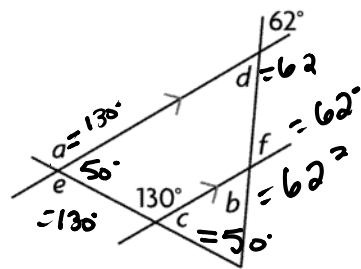
- a. Choice 1 only
- b. Choice 2 only
- ☒ c. Choice 1 and Choice 2
- d. Neither Choice 1 nor Choice 2

A 5. Which statement about the angles in this diagram is false?



- ☒ a.  $\angle b = 50^\circ$
- b.  $\angle c = 50^\circ$
- c.  $\angle e = 130^\circ$
- d.  $\angle f = 62^\circ$

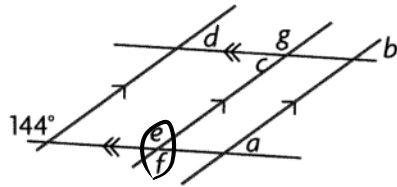
B 6. Which statement about the angles in this diagram is false?



- a.  $\angle a + \angle c = 180^\circ$  ✓
- ☒ b.  $\angle e + \angle d = 180^\circ$
- c.  $\angle d + \angle b = 124^\circ$
- d.  $180^\circ - \angle f = 118^\circ$

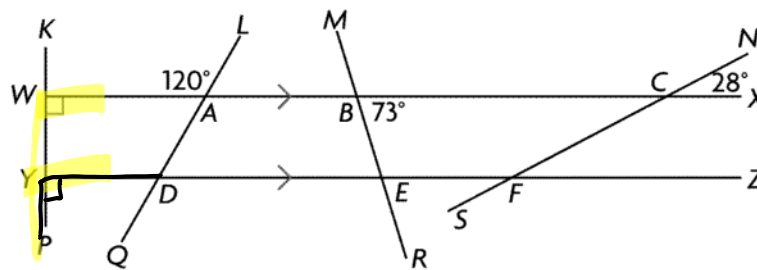


- D 7. Which statement about the angles in this diagram is false?



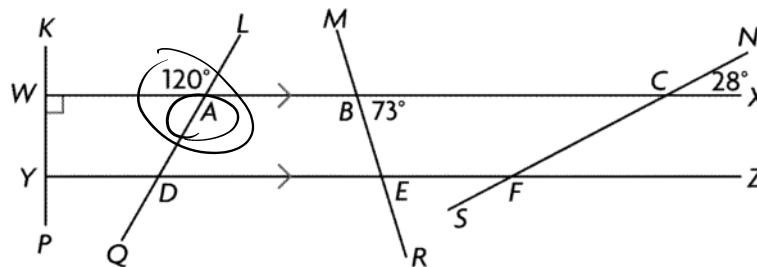
- ☒ a.  $\angle e = \angle f$
- ☒ b.  $\angle a = \angle b$
- ☒ c.  $\angle d = \angle c$
- ☐ d.  $\angle f = \angle a$

- A 8. Which angle property proves  $\angle PYD = 90^\circ$ ?



- ☐ a. corresponding angles **FZ**
- ☐ b. alternate interior angles **Z**
- ☐ c. alternate exterior angles
- ☐ d. supplementary angles **Z**

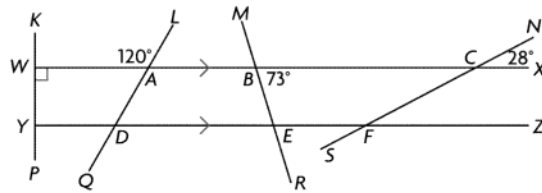
- A 9. Which angle property proves  $\angle DAB = 120^\circ$ ?



- ☐ a. vertically opposite angles **X**
- ☐ b. alternate exterior angles
- ☐ c. alternate interior angles
- ☐ d. corresponding angles



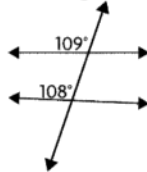
10. Which angle property proves  $\angle BED = 73^\circ$ ?



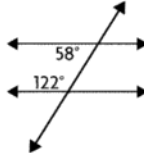
- a. alternate interior angles
- b. vertically opposite angles
- c. corresponding angles
- d. alternate exterior angles

11. In which diagrams are two lines parallel?

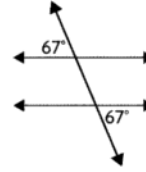
1.



2.



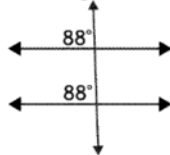
3.



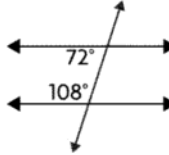
- a. Choices 1, 2, and 3
- b. Choice 1 and Choice 3
- c. Choice 2 and Choice 3
- d. Choice 1 only

12. In which diagrams are two lines parallel?

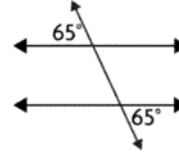
1.



2.

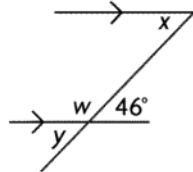


3.



- a. Choice 2 and Choice 3
- b. Choice 1 only
- c. Choice 1 and Choice 3
- d. Choices 1, 2, and 3

13. Which are the correct measures of the indicated angles?

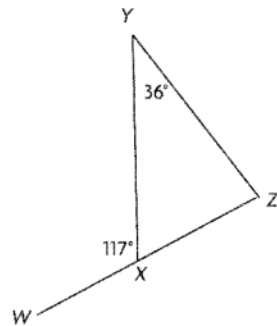


- a.  $\angle w = 146^\circ$ ,  $\angle x = 44^\circ$ ,  $\angle y = 146^\circ$
- b.  $\angle w = 134^\circ$ ,  $\angle x = 46^\circ$ ,  $\angle y = 46^\circ$
- c.  $\angle w = 136^\circ$ ,  $\angle x = 44^\circ$ ,  $\angle y = 136^\circ$
- d.  $\angle w = 116^\circ$ ,  $\angle x = 64^\circ$ ,  $\angle y = 64^\circ$

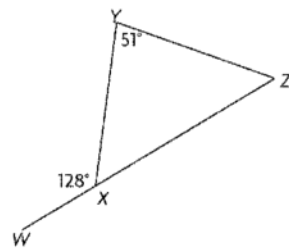




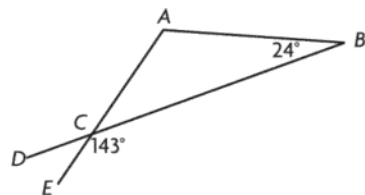
14. Which are the correct measures for  $\angle YXZ$  and  $\angle XZY$ ?



- a.  $\angle YXZ = 63^\circ$ ,  $\angle XZY = 91^\circ$
  - b.  $\angle YXZ = 53^\circ$ ,  $\angle XZY = 91^\circ$
  - c.  $\angle YXZ = 63^\circ$ ,  $\angle XZY = 81^\circ$
  - d.  $\angle YXZ = 53^\circ$ ,  $\angle XZY = 81^\circ$
15. Which are the correct measures for  $\angle YXZ$  and  $\angle XZY$ ?



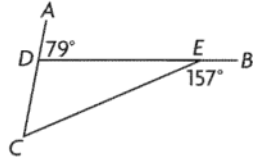
- a.  $\angle YXZ = 52^\circ$ ,  $\angle XZY = 77^\circ$
  - b.  $\angle YXZ = 52^\circ$ ,  $\angle XZY = 87^\circ$
  - c.  $\angle YXZ = 62^\circ$ ,  $\angle XZY = 77^\circ$
  - d.  $\angle YXZ = 62^\circ$ ,  $\angle XZY = 87^\circ$
16. Which are the correct measures for  $\angle DCE$  and  $\angle CAB$ ?



- a.  $\angle DCE = 47^\circ$ ,  $\angle CAB = 109^\circ$
- b.  $\angle DCE = 37^\circ$ ,  $\angle CAB = 119^\circ$
- c.  $\angle DCE = 13^\circ$ ,  $\angle CAB = 143^\circ$
- d.  $\angle DCE = 31^\circ$ ,  $\angle CAB = 134^\circ$

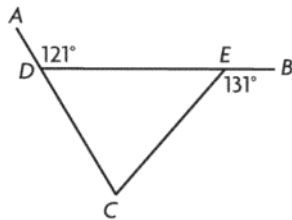


17. Which are the correct measures of the interior angles of  $\triangle CDE$ ?



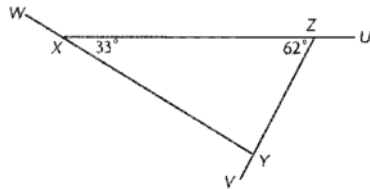
- a.  $\angle DCE = 46^\circ$ ,  $\angle CDE = 101^\circ$ , and  $\angle CED = 33^\circ$
- b.  $\angle DCE = 32^\circ$ ,  $\angle CDE = 83^\circ$ , and  $\angle CED = 65^\circ$
- c.  $\angle DCE = 76^\circ$ ,  $\angle CDE = 91^\circ$ , and  $\angle CED = 13^\circ$
- d.  $\angle DCE = 56^\circ$ ,  $\angle CDE = 101^\circ$ , and  $\angle CED = 23^\circ$

18. Which are the correct measures of the interior angles of  $\triangle CDE$ ?



- a.  $\angle DCE = 92^\circ$ ,  $\angle CDE = 49^\circ$ , and  $\angle CED = 39^\circ$
- b.  $\angle DCE = 52^\circ$ ,  $\angle CDE = 69^\circ$ , and  $\angle CED = 59^\circ$
- c.  $\angle DCE = 62^\circ$ ,  $\angle CDE = 49^\circ$ , and  $\angle CED = 69^\circ$
- d.  $\angle DCE = 72^\circ$ ,  $\angle CDE = 59^\circ$ , and  $\angle CED = 49^\circ$

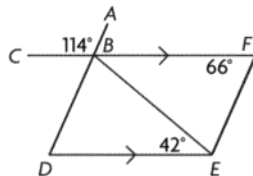
19. Which are the correct measures for  $\angle WXZ$ ,  $\angle UZY$ , and  $\angle VYX$ ?



- a.  $\angle WXZ = 147^\circ$ ,  $\angle UZY = 118^\circ$ , and  $\angle VYX = 95^\circ$
- b.  $\angle WXZ = 147^\circ$ ,  $\angle UZY = 108^\circ$ , and  $\angle VYX = 85^\circ$
- c.  $\angle WXZ = 157^\circ$ ,  $\angle UZY = 118^\circ$ , and  $\angle VYX = 95^\circ$
- d.  $\angle WXZ = 157^\circ$ ,  $\angle UZY = 108^\circ$ , and  $\angle VYX = 85^\circ$

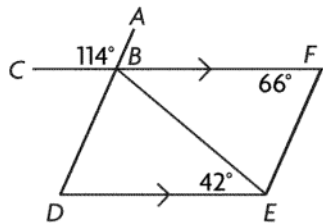
### Short Answer

20. Determine the measure of  $\angle ABF$ .

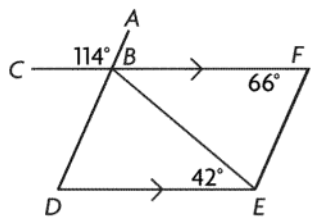




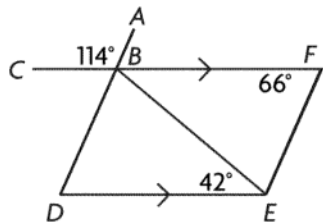
21. Determine the measure of  $\angle BEF$ .



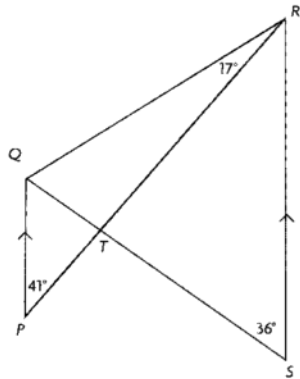
22. Determine the measure of  $\angle DBF$ .



23. Determine the measure of  $\angle BDE$ .

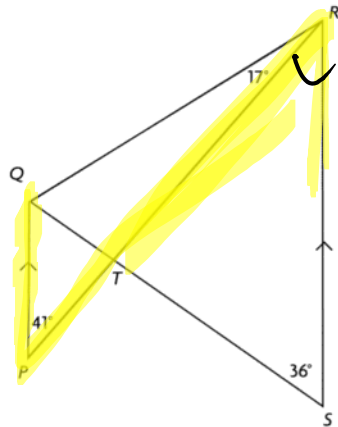


24. Determine the measure of  $\angle PQT$ .



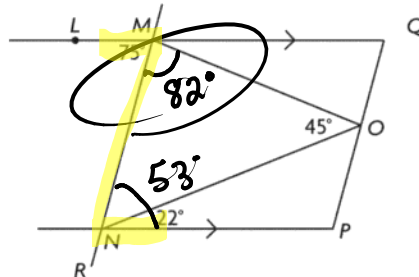


25. Determine the measure of  $\angle TRS$ .



41° alt.  
int.

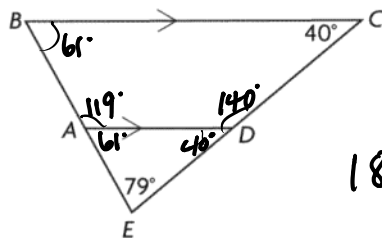
26. Determine the measure of  $\angle NMO$ .



$$75 - 22 = 53^\circ$$

$$180 - 45 - 53 = 82^\circ$$

27. Determine the unknown angles.



$$180 - 40 - 79 = 61^\circ$$

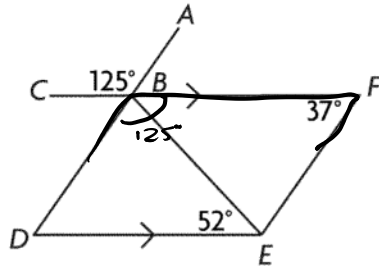
$$180 - 61 - 79 = 40^\circ$$





**Problem**

28. Are  $BD$  and  $FE$  parallel? Explain how you know.

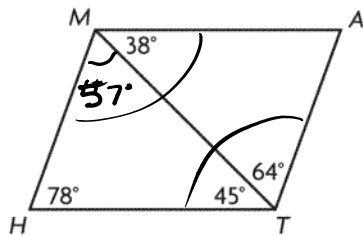


No.

$$125 + 37 = 162 \neq 180^\circ$$

NOT //

29. Is quadrilateral  $MATH$  a parallelogram? Explain.



No.

$$78 + 45 = 123^\circ$$

$$180 - 123 = 57^\circ$$

$$45 + 64 = 109^\circ$$

$$57 + 38 = 95^\circ$$



## Math 20 Ch 2 Quiz

### Answer Section

#### MULTIPLE CHOICE

1. ANS: B                      PTS: 1                      DIF: Grade 11                      REF: Lesson 2.1  
OBJ: 1.1 Generalize, using inductive reasoning, the relationships between pairs of angles formed by transversals and parallel lines, with or without technology. | 1.5 Verify, with examples, that if lines are not parallel the angle properties do not apply.    TOP: Parallel lines  
KEY: parallel lines| transversals
2. ANS: D                      PTS: 1                      DIF: Grade 11                      REF: Lesson 2.1  
OBJ: 1.1 Generalize, using inductive reasoning, the relationships between pairs of angles formed by transversals and parallel lines, with or without technology. | 1.5 Verify, with examples, that if lines are not parallel the angle properties do not apply.    TOP: Parallel lines  
KEY: parallel lines| transversals
3. ANS: B                      PTS: 1                      DIF: Grade 11                      REF: Lesson 2.1  
OBJ: 1.1 Generalize, using inductive reasoning, the relationships between pairs of angles formed by transversals and parallel lines, with or without technology. | 1.5 Verify, with examples, that if lines are not parallel the angle properties do not apply.    TOP: Parallel lines  
KEY: parallel lines| transversals
4. ANS: C                      PTS: 1                      DIF: Grade 11                      REF: Lesson 2.1  
OBJ: 1.1 Generalize, using inductive reasoning, the relationships between pairs of angles formed by transversals and parallel lines, with or without technology. | 1.5 Verify, with examples, that if lines are not parallel the angle properties do not apply.    TOP: Parallel lines  
KEY: parallel lines| transversals
5. ANS: A                      PTS: 1                      DIF: Grade 11                      REF: Lesson 2.2  
OBJ: 1.2 Prove, using deductive reasoning, properties of angles formed by transversals and parallel lines, including the sum of the angles in a triangle. | 1.4 Identify and correct errors in a given proof of a property involving angles. | 2.1 Determine the measures of angles in a diagram that involves parallel lines, angles and triangles, and justify the reasoning. | 2.2 Identify and correct errors in a given solution to a problem that involves the measures of angles. | 2.3 Solve a contextual problem that involves angles or triangles. | 2.4 Construct parallel lines, using only a compass or a protractor, and explain the strategy used. | 2.5 Determine if lines are parallel, given the measure of an angle at each intersection formed by the lines and a transversal.  
TOP: Angles formed by parallel lines                      KEY: parallel lines| transversals| angles
6. ANS: B                      PTS: 1                      DIF: Grade 11                      REF: Lesson 2.2  
OBJ: 1.2 Prove, using deductive reasoning, properties of angles formed by transversals and parallel lines, including the sum of the angles in a triangle. | 1.4 Identify and correct errors in a given proof of a property involving angles. | 2.1 Determine the measures of angles in a diagram that involves parallel lines, angles and triangles, and justify the reasoning. | 2.2 Identify and correct errors in a given solution to a problem that involves the measures of angles. | 2.3 Solve a contextual problem that involves angles or triangles. | 2.4 Construct parallel lines, using only a compass or a protractor, and explain the strategy used. | 2.5 Determine if lines are parallel, given the measure of an angle at each intersection formed by the lines and a transversal.  
TOP: Angles formed by parallel lines                      KEY: parallel lines| transversals| angles
7. ANS: D                      PTS: 1                      DIF: Grade 11                      REF: Lesson 2.2  
OBJ: 1.2 Prove, using deductive reasoning, properties of angles formed by transversals and parallel lines, including the sum of the angles in a triangle. | 1.4 Identify and correct errors in a given proof of a property involving angles. | 2.1 Determine the measures of angles in a diagram that involves parallel lines, angles and triangles, and justify the reasoning. | 2.2 Identify and correct errors in a given solution to a problem that involves the measures of angles. | 2.3 Solve a contextual problem that involves angles or triangles. | 2.4



Construct parallel lines, using only a compass or a protractor, and explain the strategy used. | 2.5 Determine if lines are parallel, given the measure of an angle at each intersection formed by the lines and a transversal.

TOP: Angles formed by parallel lines KEY: parallel lines| transversals| angles

8. ANS: A PTS: 1 DIF: Grade 11 REF: Lesson 2.2

OBJ: 1.2 Prove, using deductive reasoning, properties of angles formed by transversals and parallel lines, including the sum of the angles in a triangle. | 1.4 Identify and correct errors in a given proof of a property involving angles. | 2.1 Determine the measures of angles in a diagram that involves parallel lines, angles and triangles, and justify the reasoning. | 2.2 Identify and correct errors in a given solution to a problem that involves the measures of angles. | 2.3 Solve a contextual problem that involves angles or triangles. | 2.4 Construct parallel lines, using only a compass or a protractor, and explain the strategy used. | 2.5 Determine if lines are parallel, given the measure of an angle at each intersection formed by the lines and a transversal.

TOP: Angles formed by parallel lines KEY: parallel lines| transversals| angles

9. ANS: A PTS: 1 DIF: Grade 11 REF: Lesson 2.2

OBJ: 1.2 Prove, using deductive reasoning, properties of angles formed by transversals and parallel lines, including the sum of the angles in a triangle. | 1.4 Identify and correct errors in a given proof of a property involving angles. | 2.1 Determine the measures of angles in a diagram that involves parallel lines, angles and triangles, and justify the reasoning. | 2.2 Identify and correct errors in a given solution to a problem that involves the measures of angles. | 2.3 Solve a contextual problem that involves angles or triangles. | 2.4 Construct parallel lines, using only a compass or a protractor, and explain the strategy used. | 2.5 Determine if lines are parallel, given the measure of an angle at each intersection formed by the lines and a transversal.

TOP: Angles formed by parallel lines KEY: parallel lines| transversals| angles

10. ANS: A PTS: 1 DIF: Grade 11 REF: Lesson 2.2

OBJ: 1.2 Prove, using deductive reasoning, properties of angles formed by transversals and parallel lines, including the sum of the angles in a triangle. | 1.4 Identify and correct errors in a given proof of a property involving angles. | 2.1 Determine the measures of angles in a diagram that involves parallel lines, angles and triangles, and justify the reasoning. | 2.2 Identify and correct errors in a given solution to a problem that involves the measures of angles. | 2.3 Solve a contextual problem that involves angles or triangles. | 2.4 Construct parallel lines, using only a compass or a protractor, and explain the strategy used. | 2.5 Determine if lines are parallel, given the measure of an angle at each intersection formed by the lines and a transversal.

TOP: Angles formed by parallel lines KEY: parallel lines| transversals| angles

11. ANS: C PTS: 1 DIF: Grade 11 REF: Lesson 2.2

OBJ: 1.2 Prove, using deductive reasoning, properties of angles formed by transversals and parallel lines, including the sum of the angles in a triangle. | 1.4 Identify and correct errors in a given proof of a property involving angles. | 2.1 Determine the measures of angles in a diagram that involves parallel lines, angles and triangles, and justify the reasoning. | 2.2 Identify and correct errors in a given solution to a problem that involves the measures of angles. | 2.3 Solve a contextual problem that involves angles or triangles. | 2.4 Construct parallel lines, using only a compass or a protractor, and explain the strategy used. | 2.5 Determine if lines are parallel, given the measure of an angle at each intersection formed by the lines and a transversal.

TOP: Angles formed by parallel lines KEY: parallel lines| transversals| angles

12. ANS: D PTS: 1 DIF: Grade 11 REF: Lesson 2.2

OBJ: 1.2 Prove, using deductive reasoning, properties of angles formed by transversals and parallel lines, including the sum of the angles in a triangle. | 1.4 Identify and correct errors in a given proof of a property involving angles. | 2.1 Determine the measures of angles in a diagram that involves parallel lines, angles and triangles, and justify the reasoning. | 2.2 Identify and correct errors in a given solution to a problem that involves the measures of angles. | 2.3 Solve a contextual problem that involves angles or triangles. | 2.4 Construct parallel lines, using only a compass or a protractor, and explain the strategy used. | 2.5 Determine if lines are parallel, given the measure of an angle at each intersection formed by the lines and a transversal.

TOP: Angles formed by parallel lines KEY: parallel lines| transversals| angles

13. ANS: B PTS: 1 DIF: Grade 11 REF: Lesson 2.2

OBJ: 1.2 Prove, using deductive reasoning, properties of angles formed by transversals and parallel lines,



including the sum of the angles in a triangle. | 1.4 Identify and correct errors in a given proof of a property involving angles. | 2.1 Determine the measures of angles in a diagram that involves parallel lines, angles and triangles, and justify the reasoning. | 2.2 Identify and correct errors in a given solution to a problem that involves the measures of angles. | 2.3 Solve a contextual problem that involves angles or triangles. | 2.4 Construct parallel lines, using only a compass or a protractor, and explain the strategy used. | 2.5 Determine if lines are parallel, given the measure of an angle at each intersection formed by the lines and a transversal.

TOP: Angles formed by parallel lines KEY: parallel lines| transversals| angles

14. ANS: C PTS: 1 DIF: Grade 11 REF: Lesson 2.3  
OBJ: 1.2 Prove, using deductive reasoning, properties of angles formed by transversals and parallel lines, including the sum of the angles in a triangle.| 2.1 Determine the measures of angles in a diagram that involves parallel lines, angles and triangles, and justify the reasoning. TOP: Angles in triangles  
KEY: angles| triangles
15. ANS: A PTS: 1 DIF: Grade 11 REF: Lesson 2.3  
OBJ: 1.2 Prove, using deductive reasoning, properties of angles formed by transversals and parallel lines, including the sum of the angles in a triangle.| 2.1 Determine the measures of angles in a diagram that involves parallel lines, angles and triangles, and justify the reasoning. TOP: Angles in triangles  
KEY: angles| triangles
16. ANS: B PTS: 1 DIF: Grade 11 REF: Lesson 2.3  
OBJ: 1.2 Prove, using deductive reasoning, properties of angles formed by transversals and parallel lines, including the sum of the angles in a triangle.| 2.1 Determine the measures of angles in a diagram that involves parallel lines, angles and triangles, and justify the reasoning. TOP: Angles in triangles  
KEY: angles| triangles
17. ANS: D PTS: 1 DIF: Grade 11 REF: Lesson 2.3  
OBJ: 1.2 Prove, using deductive reasoning, properties of angles formed by transversals and parallel lines, including the sum of the angles in a triangle.| 2.1 Determine the measures of angles in a diagram that involves parallel lines, angles and triangles, and justify the reasoning. TOP: Angles in triangles  
KEY: angles| triangles
18. ANS: D PTS: 1 DIF: Grade 11 REF: Lesson 2.3  
OBJ: 1.2 Prove, using deductive reasoning, properties of angles formed by transversals and parallel lines, including the sum of the angles in a triangle.| 2.1 Determine the measures of angles in a diagram that involves parallel lines, angles and triangles, and justify the reasoning. TOP: Angles in triangles  
KEY: angles| triangles
19. ANS: A PTS: 1 DIF: Grade 11 REF: Lesson 2.3  
OBJ: 1.2 Prove, using deductive reasoning, properties of angles formed by transversals and parallel lines, including the sum of the angles in a triangle.| 2.1 Determine the measures of angles in a diagram that involves parallel lines, angles and triangles, and justify the reasoning. TOP: Angles in triangles  
KEY: angles| triangles

## SHORT ANSWER

20. ANS:  
 $\angle ABF = 66^\circ$

PTS: 1 DIF: Grade 11 REF: Lesson 2.2

OBJ: 1.2 Prove, using deductive reasoning, properties of angles formed by transversals and parallel lines, including the sum of the angles in a triangle. | 1.4 Identify and correct errors in a given proof of a property involving angles. | 2.1 Determine the measures of angles in a diagram that involves parallel lines, angles and triangles, and justify the reasoning. | 2.2 Identify and correct errors in a given solution to a problem that involves the measures of angles. | 2.3 Solve a contextual problem that involves angles or triangles. | 2.4





Construct parallel lines, using only a compass or a protractor, and explain the strategy used. | 2.5 Determine if lines are parallel, given the measure of an angle at each intersection formed by the lines and a transversal.

TOP: Angles formed by parallel lines KEY: parallel lines| transversals| angles

21. ANS:

$$\angle BEF = 72^\circ$$

PTS: 1 DIF: Grade 11 REF: Lesson 2.2

OBJ: 1.2 Prove, using deductive reasoning, properties of angles formed by transversals and parallel lines, including the sum of the angles in a triangle. | 1.4 Identify and correct errors in a given proof of a property involving angles. | 2.1 Determine the measures of angles in a diagram that involves parallel lines, angles and triangles, and justify the reasoning. | 2.2 Identify and correct errors in a given solution to a problem that involves the measures of angles. | 2.3 Solve a contextual problem that involves angles or triangles. | 2.4 Construct parallel lines, using only a compass or a protractor, and explain the strategy used. | 2.5 Determine if lines are parallel, given the measure of an angle at each intersection formed by the lines and a transversal.

TOP: Angles formed by parallel lines KEY: parallel lines| transversals| angles

22. ANS:

$$\angle DBF = 114^\circ$$

PTS: 1 DIF: Grade 11 REF: Lesson 2.2

OBJ: 1.2 Prove, using deductive reasoning, properties of angles formed by transversals and parallel lines, including the sum of the angles in a triangle. | 1.4 Identify and correct errors in a given proof of a property involving angles. | 2.1 Determine the measures of angles in a diagram that involves parallel lines, angles and triangles, and justify the reasoning. | 2.2 Identify and correct errors in a given solution to a problem that involves the measures of angles. | 2.3 Solve a contextual problem that involves angles or triangles. | 2.4 Construct parallel lines, using only a compass or a protractor, and explain the strategy used. | 2.5 Determine if lines are parallel, given the measure of an angle at each intersection formed by the lines and a transversal.

TOP: Angles formed by parallel lines KEY: parallel lines| transversals| angles

23. ANS:

$$\angle BDE = 66^\circ$$

PTS: 1 DIF: Grade 11 REF: Lesson 2.2

OBJ: 1.2 Prove, using deductive reasoning, properties of angles formed by transversals and parallel lines, including the sum of the angles in a triangle. | 1.4 Identify and correct errors in a given proof of a property involving angles. | 2.1 Determine the measures of angles in a diagram that involves parallel lines, angles and triangles, and justify the reasoning. | 2.2 Identify and correct errors in a given solution to a problem that involves the measures of angles. | 2.3 Solve a contextual problem that involves angles or triangles. | 2.4 Construct parallel lines, using only a compass or a protractor, and explain the strategy used. | 2.5 Determine if lines are parallel, given the measure of an angle at each intersection formed by the lines and a transversal.

TOP: Angles formed by parallel lines KEY: parallel lines| transversals| angles

24. ANS:

$$\angle a = 18^\circ, \angle b = 54^\circ, \angle c = 27^\circ$$

PTS: 1 DIF: Grade 11 REF: Lesson 2.2

OBJ: 1.2 Prove, using deductive reasoning, properties of angles formed by transversals and parallel lines, including the sum of the angles in a triangle. | 1.4 Identify and correct errors in a given proof of a property involving angles. | 2.1 Determine the measures of angles in a diagram that involves parallel lines, angles and triangles, and justify the reasoning. | 2.2 Identify and correct errors in a given solution to a problem that involves the measures of angles. | 2.3 Solve a contextual problem that involves angles or triangles. | 2.4 Construct parallel lines, using only a compass or a protractor, and explain the strategy used. | 2.5 Determine if lines are parallel, given the measure of an angle at each intersection formed by the lines and a transversal.



TOP: Angles formed by parallel lines      KEY: parallel lines| transversals| angles

25. ANS:

$$\angle a = 15^\circ, \angle b = 30^\circ, \angle c = 10^\circ$$

PTS: 1      DIF: Grade 11      REF: Lesson 2.2

OBJ: 1.2 Prove, using deductive reasoning, properties of angles formed by transversals and parallel lines, including the sum of the angles in a triangle. | 1.4 Identify and correct errors in a given proof of a property involving angles. | 2.1 Determine the measures of angles in a diagram that involves parallel lines, angles and triangles, and justify the reasoning. | 2.2 Identify and correct errors in a given solution to a problem that involves the measures of angles. | 2.3 Solve a contextual problem that involves angles or triangles. | 2.4 Construct parallel lines, using only a compass or a protractor, and explain the strategy used. | 2.5 Determine if lines are parallel, given the measure of an angle at each intersection formed by the lines and a transversal.

TOP: Angles formed by parallel lines      KEY: parallel lines| transversals| angles

26. ANS:

$$\angle PQT = 36^\circ$$

PTS: 1      DIF: Grade 11      REF: Lesson 2.2

OBJ: 1.2 Prove, using deductive reasoning, properties of angles formed by transversals and parallel lines, including the sum of the angles in a triangle. | 1.4 Identify and correct errors in a given proof of a property involving angles. | 2.1 Determine the measures of angles in a diagram that involves parallel lines, angles and triangles, and justify the reasoning. | 2.2 Identify and correct errors in a given solution to a problem that involves the measures of angles. | 2.3 Solve a contextual problem that involves angles or triangles. | 2.4 Construct parallel lines, using only a compass or a protractor, and explain the strategy used. | 2.5 Determine if lines are parallel, given the measure of an angle at each intersection formed by the lines and a transversal.

TOP: Angles formed by parallel lines      KEY: parallel lines| transversals| angles

27. ANS:

$$\angle TRS = 41^\circ$$

PTS: 1      DIF: Grade 11      REF: Lesson 2.2

OBJ: 1.2 Prove, using deductive reasoning, properties of angles formed by transversals and parallel lines, including the sum of the angles in a triangle. | 1.4 Identify and correct errors in a given proof of a property involving angles. | 2.1 Determine the measures of angles in a diagram that involves parallel lines, angles and triangles, and justify the reasoning. | 2.2 Identify and correct errors in a given solution to a problem that involves the measures of angles. | 2.3 Solve a contextual problem that involves angles or triangles. | 2.4 Construct parallel lines, using only a compass or a protractor, and explain the strategy used. | 2.5 Determine if lines are parallel, given the measure of an angle at each intersection formed by the lines and a transversal.

TOP: Angles formed by parallel lines      KEY: parallel lines| transversals| angles

28. ANS:

$$\angle NMO = 82^\circ$$

PTS: 1      DIF: Grade 11      REF: Lesson 2.3

OBJ: 1.2 Prove, using deductive reasoning, properties of angles formed by transversals and parallel lines, including the sum of the angles in a triangle. | 2.1 Determine the measures of angles in a diagram that involves parallel lines, angles and triangles, and justify the reasoning.      TOP: Angles in triangles

KEY: angles| triangles

29. ANS:

$$\angle ADE = 40^\circ, \angle EAD = 61^\circ, \angle ABC = 61^\circ, \angle BAD = 119^\circ, \angle CDA = 140^\circ$$

PTS: 1      DIF: Grade 11      REF: Lesson 2.3

OBJ: 1.2 Prove, using deductive reasoning, properties of angles formed by transversals and parallel lines,



including the sum of the angles in a triangle. | 2.1 Determine the measures of angles in a diagram that involves parallel lines, angles and triangles, and justify the reasoning. TOP: Angles in triangles  
KEY: angles | triangles

## PROBLEM

30. ANS:

$\angle ABC = \angle FBD = 125^\circ$  Vertically opposite angles

$\angle EFB + \angle FBD = 162^\circ$

So,  $BD$  is not parallel to  $FE$  because the interior angles on the same side of the transversal are not supplementary.

PTS: 1 DIF: Grade 11 REF: Lesson 2.2

OBJ: 1.2 Prove, using deductive reasoning, properties of angles formed by transversals and parallel lines, including the sum of the angles in a triangle. | 1.4 Identify and correct errors in a given proof of a property involving angles. | 2.1 Determine the measures of angles in a diagram that involves parallel lines, angles and triangles, and justify the reasoning. | 2.2 Identify and correct errors in a given solution to a problem that involves the measures of angles. | 2.3 Solve a contextual problem that involves angles or triangles. | 2.4 Construct parallel lines, using only a compass or a protractor, and explain the strategy used. | 2.5 Determine if lines are parallel, given the measure of an angle at each intersection formed by the lines and a transversal.

TOP: Angles formed by parallel lines KEY: parallel lines | transversals | angles

31. ANS:

It is not a parallelogram.  $\angle AMT$  does not equal  $\angle MTH$ , so alternate interior angles are not equal.

PTS: 1 DIF: Grade 11 REF: Lesson 2.3

OBJ: 1.2 Prove, using deductive reasoning, properties of angles formed by transversals and parallel lines, including the sum of the angles in a triangle. | 2.1 Determine the measures of angles in a diagram that involves parallel lines, angles and triangles, and justify the reasoning. TOP: Angles in triangles

KEY: angles | triangles